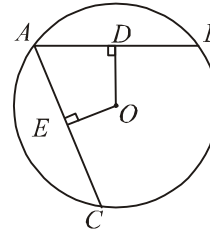


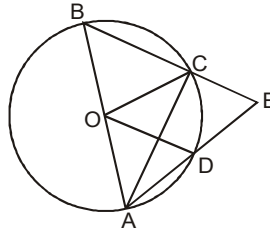
1. AB and AC are two equal chords of a circle whose centre is O. If $OD \perp AB$ and $OE \perp AC$ then :
 (A) $OD > OE$ (B) $OD < OE$ (C) $OD = OE$ (D) None of these

Sol. (C)

$$\begin{aligned} AB &= AC \\ OO \perp AB &\Rightarrow AD = DB \Rightarrow AD = DB = AE \\ OE \perp AC &\Rightarrow AE = CE = CE \\ PA &= OB = OC = \text{Radius of circle} \\ OD &= \sqrt{OA^2 - AD^2} \\ &= \sqrt{OA^2 - AE^2} = OE \end{aligned}$$



2. In the given figure, O is centre, $\angle COD = 40^\circ$, then $\angle AEB =$:



- (A) 50° (B) 65° (C) 70° (D) 75°

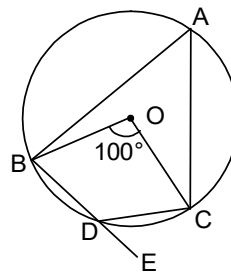
Sol. (C)

$$\begin{aligned} \angle CAD &= 20^\circ \\ \angle AEB &= ? \\ \angle COD &= 40^\circ \\ \angle ACB &= 90^\circ = \angle ACE \end{aligned}$$

In $\triangle ACE$

$$\begin{aligned} \angle CAD + \angle ACE + \angle AEC &= 180^\circ \\ 20^\circ + 90^\circ + \angle AEC &= 180^\circ \\ \angle AEC &= 180^\circ - 110^\circ \\ &= 70^\circ \\ \angle AEC &= \angle AEB = 70^\circ \end{aligned}$$

3. O is the centre of the circle. Find $\angle BDC$.

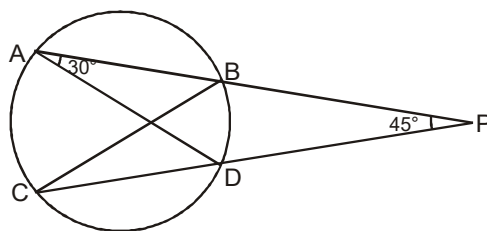


- (A) 160° (B) 90° (C) 80° (D) 130°

Sol. (D)

$$\begin{aligned} \angle BOC &= 100^\circ \\ \angle BAC &= \frac{1}{2} \angle BOC = 50^\circ \\ \angle BAC + \angle BDC &= 180^\circ \\ \angle BDC &= 180^\circ - 50^\circ \\ &= 130^\circ \end{aligned}$$

4. Two chords AB and CD of a circle cut each other when produced outside the circle at P. AD and BC are joined. If $\angle PAD = 30^\circ$ and $\angle CPA = 45^\circ$, find $\angle CBP$.



- (A) 105° (B) 115° (C) 135° (D) None of these

Sol.

(A)

Given,

$$\angle PAD = 30^\circ$$

$$\angle CPA = 45^\circ$$

$$\angle DAB = \angle DCB$$

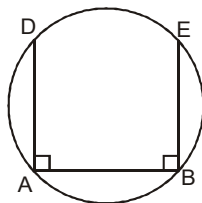
In $\triangle CBP$

$$\angle PCB + \angle CBP + \angle BPC = 180^\circ$$

$$\Rightarrow 30^\circ + \angle CBP + 45^\circ = 180^\circ$$

$$\angle CBP = 105^\circ$$

5. Given a chord AB in a circle as shown. If two more chords AD and BE are drawn perpendicular to AB, If $AD = 10$ cm then



- (A) $BE = 20$ cm

- (B) $BE = 40$ cm

- (C) $BE = 10$ cm

- (D) None of these

Sol.

(C)

Join point A to E and also join point B to D. AE and BD are the diameter of circle.

$$AE^2 = BD^2$$

$$AE^2 = AB^2 + BE^2$$

$$BD^2 = AB^2 + AD^2$$

$$BE = AD$$

6. PQ, PR are tangents to a circle and QS is a diameter, if $\angle QPR = 60^\circ$ then find $\angle SOR$.

- (A) 60

- (B) 90

- (C) 30

- (D) None of the foregoing

Sol.

(A)

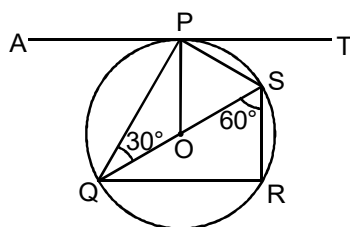
Lets, O is centre of circle

$$\angle QPR = 60$$

$$\angle QOR = (180^\circ - 60)$$

$$\angle SOR = 60$$

7. In the following figure, QS is the diameter and APT the tangent at P. Then $\angle APQ$ is equal to :

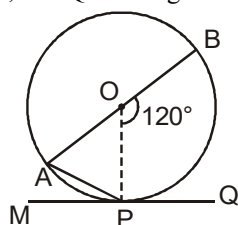


- (A) 60° (B) 30° (C) 40° (D) 50°
- Sol. (A)

In $\triangle POQ$

$$\begin{aligned} OP &= OQ && \text{(Radius of circle)} \\ \angle OQP &= \angle OPQ = 30^\circ \\ \angle APO &= 90^\circ \\ \angle APQ &= \angle APO - \angle OPQ \\ &= 90^\circ - 30^\circ = 60^\circ \end{aligned}$$

8. In the adjoining figure AOB is a diameter, MPQ is a tangent at P, then the value of $\angle APQ$ is equal to :



- (A) 135° (B) 60° (C) 130° (D) 150°
- Sol. (D)

$$\begin{aligned} \angle AOP + \angle BOP &= 180^\circ \\ \angle AOP &= 180^\circ - 120^\circ \\ &= 60^\circ \\ \angle OAP &= \angle OPA \end{aligned}$$

(Isosceles Triangle)

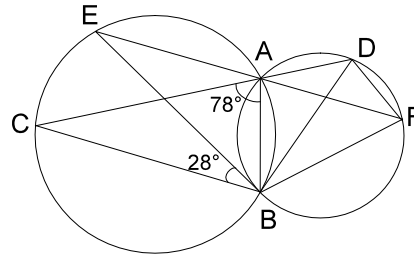
In $\triangle AOP$

$$\begin{aligned} \angle OAP + \angle OPA + \angle AOP &= 180^\circ \\ 2\angle OAP &= 180^\circ - 60^\circ = 120^\circ \\ \angle OAP &= 60^\circ \end{aligned}$$

Equilateral triangle

$$\begin{aligned} \angle QPA &= \angle QPO + \angle APO \\ &= 90^\circ + 60^\circ \\ &= 150^\circ \end{aligned}$$

9. In the given figure, $\angle BFD =$:

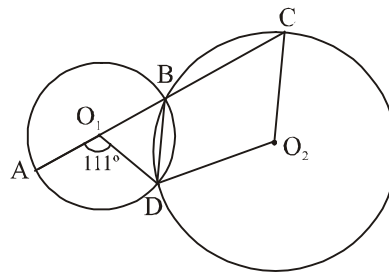


- Sol. (A) 75° (B) 76° (C) 77° (D) 78°

$$\angle BAF = 180^\circ - 78^\circ$$

$$\angle BFD = 180^\circ - \angle BAF = 180^\circ - (180^\circ - 78^\circ) = 78^\circ$$

10. O_1 and O_2 are the centres of the two circles. Find $\angle DO_2C$.



- Sol. (A) 69° (B) $\left(\frac{69}{2}\right)^\circ$ (C) 111° (D) $\left(\frac{111}{2}\right)^\circ$

$$\angle ABD = \frac{111^\circ}{2} \Rightarrow \angle DBC = 180^\circ - \left(\frac{111^\circ}{2}\right)$$

$$\begin{aligned} \angle DO_2C &= 2 \left(180^\circ - \left(180^\circ - \frac{111^\circ}{2} \right) \right) \\ &= 111^\circ \end{aligned}$$